

Fig. 1 Schematic diagram of the free-vortex aerowindow.

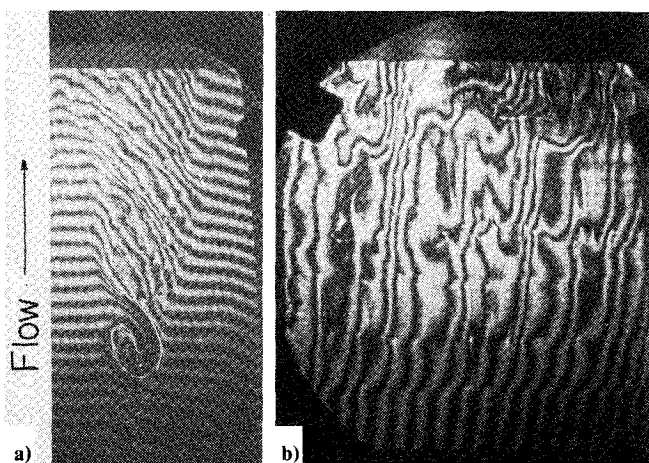


Fig. 2 Interferograms of the conventional free-vortex subsonic aerowindow flow: a) view of the turbulent interface; b) view through the turbulent interface.

high-pressure gas storage reservoir, the inner jet with a gas mixture of Ar:He:N₂ in the ratio 5:4:1 ($\beta = 2 \times 10^{-4}$) matched to the index of the CO₂ laser, and the outer jet with nitrogen ($\beta = 3 \times 10^{-4}$). The gas is introduced into each chamber through sonic orifices located at the bottom of the outlet. Splash plates disperse the orifice flow, and a series of four screens located downstream serve to smooth out the flow in the inlet before the jets emerge from the nozzle.

Diagnostics in this study consisted of a hot-wire anemometer utilized for flowfield surveys, and a Mach-Zender interferometer used to study the optical medium homogeneity of the aerowindow flow.

Interferograms of the free-vortex aerowindow operating in a conventional mode with both jets discharging the aerowindow gas mixture (5:4:1), where the index of refraction discontinuity occurs at the turbulent free-shear layer, are shown in Fig. 2. Figure 2a reveals the characteristics of the mixing zone by "looking" with the interferometer parallel to the turbulent interface, and Fig. 2b shows an interferogram "looking" through the turbulent interface. In the former, we notice the vortical structure close to the jet exit which disintegrates further downstream along the mixing zone. Figure 2b shows the large optical distortions introduced into the flow by the large index fluctuations at the free-shear layer. The fringe structure in this picture also reveals the vortical structure of the shear layer and the node points.

The significant reduction in the optical distortions achieved in the flow of the improved aerowindow is reflected in the interferogram shown in Fig. 3. Here the aerowindow gas mixture flows from the inner jet, and nitrogen flows from the outer jet. The index of refraction discontinuity is taken at a region where the two gases flow in parallel with identical velocity. Comparison with the no-flow reference in-

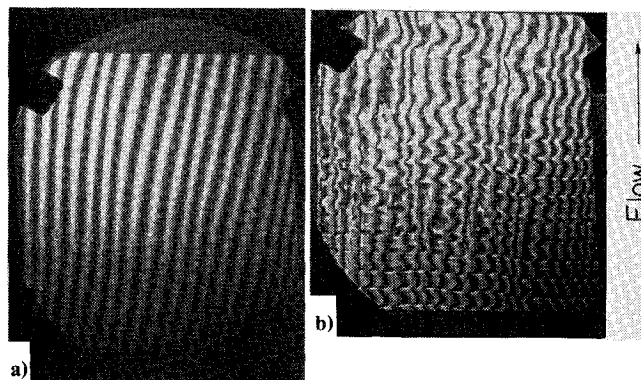


Fig. 3 Interferogram of the improved aerowindow flow: a) no flow; b) with flow.

terferogram shows that the fringes in Fig. 3 maintain the same structure with minimal large-scale distortions, indicating the high optical quality of the flow. The small-scale wake turbulence is reflected in the small wriggles superimposed on the fringes.

Beam-direction interferograms, such as Figs. 2b and 3, were analyzed following the procedure outlined in Ref. 5. The results of this data analysis show the significant reduction in laser beam intensity losses in the improved aerowindow, with

$$\Delta I/I_0 = 0.03$$

compared with 0.10 for the conventional-type aerowindow.

Acknowledgment

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References

- ¹Parmantier, E. M. and Greenberg, R. A. "Supersonic Flow Aerodynamic Windows for High-Power Lasers," *AIAA Journal*, Vol. 11, July 1973, pp. 943-949.
- ²Zimet, E., "Aerodynamic Windows for Laser Beams," NOLTR 73-66, Naval Ordnance Laboratory, White Oak, Md., March 1973.
- ³Jones, T. G., "Development of an Aerodynamic Window," AFWL-TR-72-46, Air Force Weapons Laboratory, Albuquerque, N.M., July 1972.
- ⁴Sutton, G. W., "Effect of Turbulent Fluctuations in an Optically Active Medium," *AIAA Journal* Vol. 7, Sept. 1969, pp. 1737-1746.
- ⁵Legner, H. H., Otis, J. H., Theophanis, G. A., and Feinberg, R. M., "Laser Beam Degradation Through Turbulent Interfaces," AIAA Paper 78-71, Huntsville, Ala., 1978.

Effect of Suction on a Shock-Separated Boundary Layer—A Numerical Study

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I. Introduction

THE performance of many aerodynamic components at transonic and supersonic flight conditions is adversely affected by the interaction of external shocks with the boundary layer. If the shock wave is sufficiently strong, the

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boundary layer will separate. It is, therefore, of interest to eliminate or control these adverse effects (thickening of the boundary layer, onset of transition, separation, etc.) through suitable boundary-layer control techniques such as suction, blowing, or cooling of walls. In the present study, the compressible Navier-Stokes equations are solved numerically to study boundary-layer control through suction.

II. Analysis

The two-dimensional, unsteady Navier-Stokes equations in Cartesian coordinates written in the conservative law form are:

$$\frac{\partial U}{\partial t} + \frac{\partial F}{\partial x} + \frac{\partial G}{\partial y} = 0 \quad (1)$$

where

$$U = \begin{bmatrix} \rho \\ \rho u \\ \rho v \\ \rho E \end{bmatrix} \quad F = \begin{bmatrix} \rho u \\ \rho u^2 + \sigma_x \\ \rho uv + \tau_{xy} \\ \rho uE + u\sigma_x + v\tau_{xy} + q_x \end{bmatrix}$$

and

$$G = \begin{bmatrix} \rho v \\ \rho uv + \tau_{xy} \\ \rho v^2 + \sigma_y \\ \rho vE + u\tau_{xy} + v\sigma_y + q_y \end{bmatrix}$$

where ρ , u , v , and E are the density, velocity components, and total specific energy, respectively. The stress tensor components σ_x , σ_y , and τ_{xy} are known for a Newtonian fluid. The heat flux quantities q_x and q_y are related to temperature gradients in the flowfield. The equation of state and a proper set of initial and boundary conditions are sufficient to obtain a closed system.

The numerical solution of Eq. (1) involves time linearization of the nonlinear terms and spatial factorization. These procedures are well-documented in the literature.^{1,2} The version of the ADI factorization scheme used in the present code is second-order accurate in time and space.

Typical features of the physical flow problem are shown in Fig. 1. The computational grid for the problem is shown in Fig. 2. The grid points were spaced uniformly in the x direction and stretched in the y direction as follows:

$$\Delta Y = \Delta Y_{out} [\Delta Y_{in} / \Delta Y_{out}]^{(J_{in} - J) / J_{in}} \quad 1 \leq J \leq J_{in}$$

$$\Delta Y = \Delta Y_{out} \quad J_{in} < J \leq J_{max}$$

For the present study,

$$I_{max} = 32, \quad J_{max} = 45, \quad J_{in} = 33,$$

$$\Delta Y_{in} = 0.00305 \text{ cm}, \quad \Delta Y_{out} = 0.1948 \text{ cm}$$

The boundary conditions were specified as follows (see Fig. 2): Along line a-f the freestream conditions prevail. On the upper boundary, along f-e, the freestream conditions were specified. Along e-d, the postshock conditions were specified. At the downstream boundary c-d the flow properties were determined by two-point extrapolation. Along a-b, symmetry conditions were imposed using a three-point, one-sided difference scheme. On the solid wall, the x component of the velocity was set at zero; the y component of the velocity was specified depending on the amount of suction.

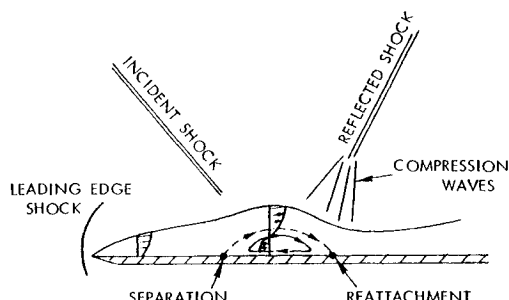


Fig. 1 Sketch of shock boundary-layer interaction.

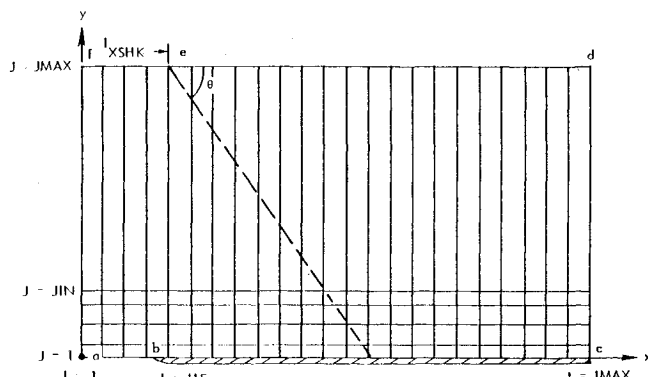


Fig. 2 Shock boundary-layer computational plane.

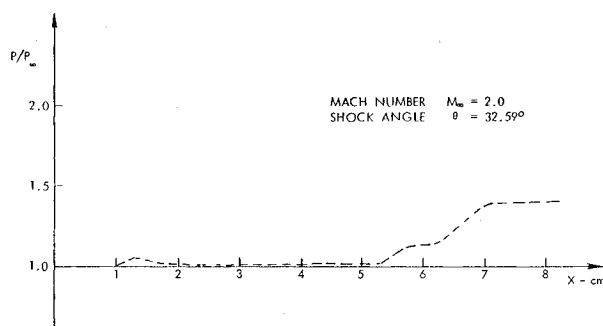


Fig. 3 Surface pressure distribution.

The adiabatic wall condition was invoked. While the density at the wall may be determined in a number of ways, a simple three-point extrapolation from the interior nodes proved to be satisfactory.

III. Results and Discussion

Two test cases were first studied to establish the accuracy and reliability of the present code: a) freestream Mach number 2.0, shock angle of 31.347, deg and Reynolds number of 0.284×10^6 based on the distance of the shock from the leading edge; and b) freestream Mach number 2.0, shock angle of 32.585 deg, and Reynolds number of 0.296×10^6 .

In Fig. 3, the pressure distribution along the plate at steady state is shown for case b. The results were found to be in very good agreement with other numerical results.^{2,3} Uniform suction was subsequently applied for case b, which has a separation bubble.

In Fig. 4, the velocity profiles in the separation region for two different suction velocities are plotted and compared with the no-suction case. The velocity profiles downstream of the interaction region are fuller when the suction is applied. With relatively small amounts of suction, the separation region can be eliminated. Since the profiles are free of inflection points,

